

**Here's what's even more important:**

- If you make one of the charges  $x$  times bigger, because the  $q$  is in the numerator, the force will also become  $x$  times stronger.
- If you separate the charges by a distance that's  $x$  times bigger, because the  $r$  is in the denominator and because **it's squared**, the force will become  $1/x^2$  of the original. So it will get a lot weaker.

**Example 2** What happens to the force between two charges if their separation distance doubles?

**Answer:** It becomes only  $1/x^2$  of the original =  $1/2^2 = 1/4 = 0.25$  times as big.

**Example 2** What happens to the force between two charges if one of the charges becomes 3 times as big?

**Answer:**

It becomes  $x$  times as big, so 3 times as big.

**Example 3** What happens if both charges become twice as big and the separation distance is  $1/3$  of the original?

**Answer:**

The effect of the charges on forces is a factor of  $2*2 = 4$

The effect of the distance on forces is a factor of  $1/x^2 = 1/(1/3)^2 = 9$ .

Combine those: the force will be  $4*9 = 36$  times bigger.

**Example 4** What if the force doubled and only of the charges changed, becoming three times as big. What must have happened to the separation distance for this to hold true?

**Answer:**

Let  $x$  = factor for distance. Force doubled and charge tripled. Recall distance is related to force by a factor of  $1/x^2$ .

$$2 = 3 * (1/x^2)$$

$$2x^2 = 3$$

$$X = \sqrt{\frac{3}{2}} = 1.22$$

So the distance between the charges was separated by a factor of 1.22.