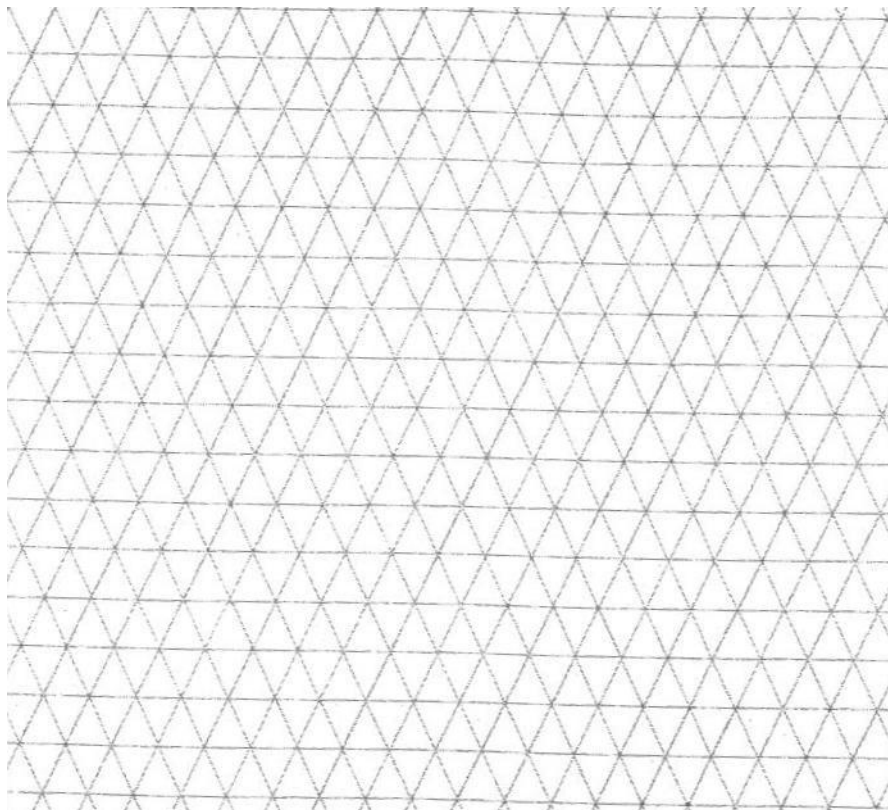


**STE Review Exercise**

Name \_\_\_\_\_

1. **A) Cubane** ( $C_8H_8$ ) is a synthetic hydrocarbon molecule that consists of eight carbon atoms arranged at the corners of a cube.

Use the following isometric paper to draw a cube and then show the correct number of bonds for carbon and hydrogen in the  $C_8H_8$  molecule.



- b) Assume that the oxidation (reaction with oxygen) of cubane produced only carbon dioxide and water. Write a balanced equation to represent this **exothermic reaction**. Show heat on the correct side of the equation. Pretend that 3000 kJ are released for every mole of  $C_8H_8$  that burns.



- c) What total mass of greenhouse *gases* in kg will be released for every 1.0 kg of  $C_8H_8$  that is oxidized?

$$1000 \text{ g} / (104 \text{ g/mole}) = 9.61 \text{ moles } C_8H_8$$

$$9.61 \text{ moles } C_8H_8 (8 CO_2 / 1 C_8H_8) = 76.88 \text{ moles } CO_2$$

$$76.88 \text{ moles } CO_2 (44 \text{ g/mole}) = 3382.72 \text{ g} = 3.38272 \text{ kg}$$

But water is also a powerful greenhouse gas. We just don't worry about our input because we add very little water vapour compared to what is already present.

$$9.61 \text{ moles } C_8H_8(4 H_2O / 1 C_8H_8) = 38.44 \text{ moles } H_2O$$

$$38.44 \text{ moles } H_2O(18 \text{ g/mole}) = 691.9 \text{ g} = 0.6919 \text{ kg } H_2O$$

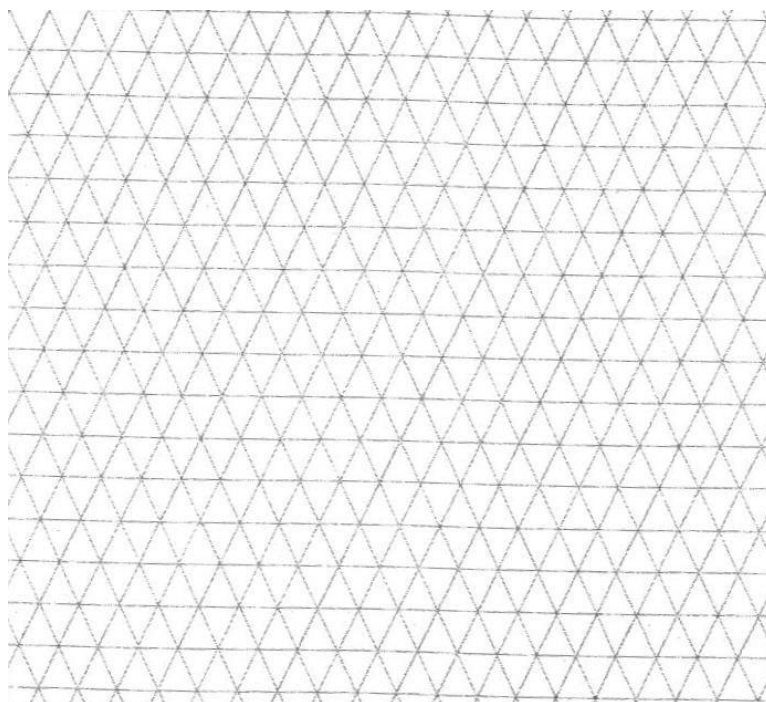
$$\text{Total mass of greenhouse gases} = 3.38272 \text{ kg} + 0.6919 \text{ kg } H_2O = 4.1 \text{ kg}$$

d) Let's say that each  $C_8H_8$  molecule consisted of 6 atoms of  $^2H$  and 2 atoms of  $^1H$ . Calculate the molar mass for such a compound.

$$\text{Weighted average for hydrogen in this compound} = (2/(2+6))*1 + (6/(2+6))*2 = 1.75 \text{ g/mole}$$

$$\text{Molar mass of } C_8H_8 \text{ with heavy hydrogen} = 8(12) + 8(1.75) = 110 \text{ g/mole instead of the usual } 104\text{g/mole}$$

2. A) Draw a cube on the isometric paper.



- B) Imagine that each side of the cube was an electric wire. The (-) end of the battery is attached to a corner of the bottom of the cube, facing you. The (+) end is on top of the cube, diagonally across from the (-). Label the (+) and (-).

c) Draw three  $15 \Omega$  resistors on 3 separate wires, all attached to the (-) corner. (three resistors in all) If the voltage of the power source is 12 V, how much current is delivered by the power source?

It's equivalent to a parallel circuit.

$$R_{eq} = (15^{-1} + 15^{-1} + 15^{-1}) = 5 \Omega.$$

$$V/R = I$$

$$12 \text{ V} / 5 \Omega = 2.4 \text{ A}$$

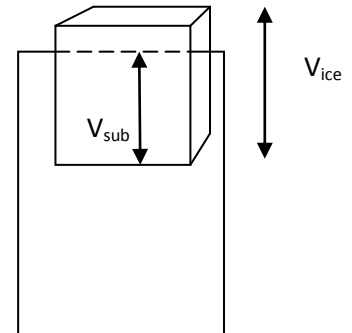
d) If the other corner also had three  $15 \Omega$  resistors, what would be the equivalent resistance for the whole circuit?

The two parallel branches would be in series

$$(15^{-1} + 15^{-1} + 15^{-1}) + (15^{-1} + 15^{-1} + 15^{-1}) = 10 \Omega.$$

3. What percent of a floating ice cube (density=  $918 \text{ kg/m}^3$ ) is below the surface of water (density=  $1000 \text{ kg/m}^3$ )?

To answer this question, you have to realize that there are two forces that equal each other here: the weight of the ice cube and the buoyant force of water, which equals  $g$  multiplied by the mass of water displaced ( $m_{sub}$ ) by the ice (related to  $V_{sub}$  in diagram)



- Write the equation which relates the two forces just mentioned.
- Then use the densities to substitute for each of the masses,
- and then solve to find the ratio  $V_{sub} / V_{ice}$ , from which you can find the percent of submerged ice.

Buoyant force = weight

$$F_b = F_w$$

$$m_{sub} * g = m_{ice} * g, \text{ where } m_{sub} = \text{mass of water displaced by the ice.}$$

$$m_{sub} = m_{ice}.$$

$$\rho_{H2O} V_{sub} = \rho_{ice} V_{ice}, \text{ where } \rho = \text{density}$$

$$V_{sub} / V_{ice} = \rho_{ice} / \rho_{H2O}$$

$$= 918 \text{ kg/m}^3 / (1000 \text{ kg/m}^3)$$

$$= 0.918$$